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In mathematics, we tend to equal to equal to equal to equal to equal to equal to expressions. The equal to expressions. The equality between the values, or expressions written on both the sides. The symbol that represents the equal sign is given by two small parallel horizontal lines. The symbol "\$=\$" represents that the expression that is on the right side of the sign. We place an equal sign between two things that are the same or equal. For example: If it is written \$2 + 2 = 4, it means that \$2 + 2 is equal to \$4. \$1 = 10 dimes, which means that 1 dollar is equivalent to 10 dimes. The History of the Equal sign (=) and also introduced the pre-existing plus sign (+) to English speakers in 1557. More Worksheets An equation is a statement of equality between two mathematical expressions given on the right-hand side (RHS). For example: 5 + 3 = 8 This means that the LHS is 5 + 3 and it is equal to the RHS, which is 8. If we have an equation 2x + 3 = 7. It means that 2x + 3, i.e., the expression given on LHS is equal to 8, i.e., the expression given on RHS. Then we can deduce that x=2. The amount or quantity or length of any object is shown by measurement. For example, Oliver is given the task of measuring the length of a spoon. He uses a centimeter scale to measure its length. He finds out the distance between the start and the endpoint of the spoon. The length of the spoon "is equal" to 16 cm. Fractions tell us about the part of a whole. In fractions, the equal sign between two fractions represent that they are equivalent fractions or the fractions cover equal parts of a whole. For example:  $\frac{1}{5}=\frac{1}{5}$  is equivalent to  $\frac{1}{5}$  is equivalent to  $\frac{1}{5}$ . The equal sign given with the three lines means two things are identical. It is similar to but not necessarily the same as an equal sign. The equal sign with slash means that it is the unequal sign, i.e., \$eq\$. It is used when two expressions are not equal. For example: \$5 eq 8\$ means that 5 is not equal to 8. 1. The product of two numbers a and b is exactly 12." It can be represented mathematically using the equal sign. Therefore, ab \$= 12\$ is the required equation. 2. What is the value of y if \$3y+7=28\$? Solution: \$3y+7=28 Test your knowledge. Height of Jack = Height of JillAge of Jack = Age of JillWeight of Jack = Age of JillCorrect answer is: Age of JillCorrect answer is: Age of JillSince Jack and \$\frac{3}{4}\$ and \$\frac{3}{5}\$ and \$\frac{3}{5  $\{24\}$  Correct answer is:  $\frac{3}{5}$  and  $\frac{p}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ . What does the "\$\approx is:  $\frac{q}{q} = 4 + p$ ." sign mean? The sign "\$\approx\$" means identical to. It is denoted by \$=\$, whereas the equivalent sign means identical to. It is denoted by \$\equiv\$. What does the "less than equal to" sign mean? The "less than equal to" sign means that an expression can be either less than or equal to another expression. For example: \$x \le 5\$ means \$x\$ can take any value less than or equal to another expression. For example: \$x \le 5\$ means \$x\$ can take any value less than or equal to another expression. For example: \$x \le 5\$ means \$x\$ can take any value less than 5 or 5. List of all mathematical symbols and signs - meaning and examples. Basic math symbols Symbol Name Meaning / definition Example = equals sign equality 5 = 2+35 is equal to  $2+3 \neq 45$  is not equal to  $4 \approx$  approximately equal to  $4 \approx$  approximately equal to  $5 \neq 45$  is not equal to  $5 \neq 45$  is not equal to  $2+3 \neq 45$  is not equal to  $4 \approx$  approximately equal to  $4 \approx$  approximately equal to  $5 \neq 45$  is not equal to  $5 \neq 45$  is not equal to  $5 \neq 45$  is not equal to  $4 \approx$  approximately equal to  $5 \neq 45$  is not equal to  $5 \neq$  $\geq 4, x \geq y$  means x is greater than or equal to  $y \leq i$  inequality less than or equal to  $4 \leq 5, x \leq y$  means x is less than or equal to  $y (1+2) \times (1+5) = 16$  [] brackets calculate expression inside first  $2 \times (3+5) = 16$  [] brackets calculate expression inside first  $2 \times (3+5) = 16$  [] brackets calculate expression inside first  $2 \times (3+5) = 16$  [] brackets calculate expression inside first  $2 \times 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multiplication 2 \times 3 = 6 \times multiplicatio$ calculation 7 mod 2 = 1. period decimal point, decimal separator 2.56 = 2+56/100 ab power exponent 2 3 = 8  $\sqrt{a}$  square root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} \cdot \sqrt{a}$  = a  $\sqrt{9}$  = ±3  $\sqrt{a}$  cube root  $\sqrt{a} 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10^{-10}$  Symbol Symbol Name Meaning / definition Example  $\angle$  angle formed by two rays  $\angle ABC = 30^{\circ}$  measured angle ABC =  $30^{\circ}$  measured angle ABC spherical angle AOB =  $30^\circ \sqcup$  right angle =  $90^\circ \alpha = 90^\circ \circ degree 1$  turn =  $360^\circ \alpha = 60^\circ deg degree 1$  turn =  $360^\circ a = 60^\circ 59' = 60^\circ deg degree 1$  turn =  $360^\circ deg deg degree 1$  turn =  $360^\circ deg deg degree$  $\perp$  perpendicular perpendicular lines (90° angle) AC  $\perp$  BC || parallel parallel lines AB || CD  $\cong$  congruent to equivalence of geometric shapes and size  $\triangle$ ABC  $\cong$   $\triangle$ XYZ  $\sim$  similarity same shapes, not same size  $\triangle$ ABC  $\cong$   $\triangle$ BCD |x-y| distance distance between points x and y | x-y | = 5 \pi pi constant  $\pi$  = 3.141592654... is find when 2x = 4, then  $x = 2 \equiv$  equivalence identical to  $\Rightarrow$  equal by definition equal by definition  $\Rightarrow$  approximately equal approximately equal approximately equal approximately equal by definition  $\Rightarrow$  approximately equal by definition  $\Rightarrow$  approximately equal approximately equal approximately equal by definition  $\Rightarrow$  approximately less than much less than  $1 \leq 1000000 \gg$  much greater than much greater than 1000000  $\gg 1$  () parentheses calculate expression inside first  $2 \times (3+5) = 16$  [] brackets rounds number to upper integer [4.3] = 5 x! exclamation mark factorial 4! = 1\*2\*3\*4 = 24 | x | vertical bars absolute value |-5| = 5 f(x) function of x maps values of x to  $f(x) = 3x, g(x) = x-1 \rightarrow (f \circ g)(x) = 3(x-1) (a,b)$  open interval  $[a,b] = \{x | a < x < b\} x \in [2,6]$  (a,b] closed interval  $[a,b] = \{x | a < x < b\} x \in [2,6]$  (a,b] closed interval  $[a,b] = \{x | a < x < b\} x \in [2,6]$  (a,b] closed interval  $[a,b] = \{x | a < x < b\} x \in [2,6]$  (a,b] closed interval  $[a,b] = \{x | a < x 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capital pi product - product of all values in range of series  $\Sigma$  xi = x1+x2+...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Sigma$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product of all values in range of series  $\Pi$  xi = x1 + x2 + ...+xn  $\Sigma\Sigma$  sigma double summation  $\Pi$  capital pi product - product -0.5772156649...  $\phi$  golden ratio golden ratio constant  $\pi$  pi constant  $\pi$  = 3.141592654... is the ratio between the circumference and diameter of a circle  $c = \pi \cdot d = 2 \cdot \pi \cdot r$  Symbol Symbol Name Meaning / definition Example · dot scalar product a · b × cross vector prod brackets matrix of numbers () parentheses matrix of numbers |A| determinant de (A) ji A -1 inverse matrix A A-1 = I rank(A) matrix rank rank of matrix A rank(A) =  $3 \dim(U)$  dimension of matrix A dim(U) =  $3 \operatorname{Symbol}$  Symbol Name Meaning / definition Example P(A) probability function probability function probability function probability function for matrix A dim(U) =  $3 \operatorname{Symbol}$  Symbol Name Meaning / definition Example P(A) =  $0.5 \operatorname{P}(A \cap B)$  probability function probability function probability function for matrix A dim(U) =  $3 \operatorname{Symbol}$  Symbol Name Meaning / definition Example P(A) =  $0.5 \operatorname{P}(A \cap B)$ probability of events union probability that of events A or B P(A | B) = 0.3 f (x) probability function (pdf)  $P(a \le x \le b) = \int f(x) dx$  F(x) cumulative distribution function (cdf)  $F(x) = P(X \le x)$  u population mean of population values  $\mu = 10$ E(X) expectation value expected value of random variable X e(X) = 10 E(X | Y) conditional expected value of random variable X  $e(X) = 4 \sigma^2$  variance of population values  $\sigma^2 = 4 \operatorname{std}(X)$  standard deviation of random variable X  $\operatorname{std}(X) = 2 \sigma X$ standard deviation standard deviation variables X and Y corr(X,Y) = 4 corr(X,Y) correlation correlation correlation of random variables X and Y corr(X,Y) = 0.6  $\Sigma$  summation summation - sum of all values in range of series  $\Sigma$  double summation MR mid-range MR = (xmax+xmin)/2 Md sample median half the population is below this value O1 lower / first quartile 25% of population are below this value O2 median / second quartile 50% of population are below this value = median of samples Q3 upper / third quartile 75% of population are below this value x sample mean average / arithmetic mean x = (2+5+9)/3 = 5.333 s 2 sample variance estimator s 2 = 4 s sample standard deviation population samples standard deviation estimator s = 2 zx standard score zx = (x-x) / sx  $X \sim distribution of X distribution of X astribution of X astribution f(x) = <math>\lambda c xc-1e-\lambda x / \Gamma(c), x \ge 0$   $\chi 2(k) chi-square$ distribution  $f(x) = xk/2 - 1e \cdot x/2 / (2k/2 \Gamma(k/2))$  F(k1, k2) F distribution f(k) = nCk pk(1-p)n-k Poisson distribution f(k) = nCk pk(1-p)n-k Poi Example n! factorial n! =  $1 \cdot 2 \cdot 3 \cdot ... \cdot n 5! = 1 \cdot 2 \cdot 3 \cdot 4 \cdot 5 = 120$  nPk permutation 5P3 = 5! / (5-3)! = 60 nCk combination 5C3 = 5! / [3!(5-3)!] = 10 Symbol Name Meaning / definition Example { } set a collection of elements A = {3,7,9,14}, B = {9,14,28} A  $\cap$  B intersection objects that belong to set A and set B A  $\cap$  B = {9,14} A  $\cup$  B union objects that belong to set A or set B A  $\cup$  B = {3,7,9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is included in set B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} A  $\subseteq$  B subset A is a subset of B. set A is not equal to B. {9,14,28} 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\supseteq B$  not superset of A is not a superset of B, but B is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not a superset of B, but B is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not a superset of B, but B is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  $\{9,14,28\} \supset \{9,14\}, A \supseteq B$  not superset of A is not equal to A.  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\supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14,28\} \supseteq \{9,14\}, A \supseteq B$  not equal to A.  $\{9,14\}, A \supseteq B$  not equal to A.  $\{9,14\}, A \supseteq B$  not equal to all the objects that do not belong to set A A B relative complement objects that belong to A and not to B A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A  $\Delta$  B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A  $\Delta$  B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A  $\Delta$  B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A  $\Delta$  B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{9,14\}$  A  $\Delta$  B symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}$ , B =  $\{1,2,3\}$ , A-B =  $\{2,3,3\}$ , A-B =  $\{2,3,3\}$ , A-B =  $\{2,3,3\}$ , A-B =  $\{2,3,3\}$ , A-B =  $\{3,3,3,4\}$ , B =  $\{3,3,3,$  $= \{1,2,3\}, A \Delta B = \{1,2,9,14\}, A \in B$  symmetric difference objects that belong to A or B but not to their intersection A =  $\{3,9,14\}, B = \{1,2,9,14\}, A \in B = \{1,2,9$ set of all ordered pairs from A and  $BA \times B = \{(a,b)|a \in A, b \in B\}$  |A| cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = \{3,9,14\}$ , |A|=3 #A cardinality the number of elements of set  $A = 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